

		Fu	ndamental concept and Peri	nutations without repetitio
			Basic Level	
1.	$(n-r+1)^n P_{r-1} =$			
	(a) $^{n-1}P_r$	(b) $^{n+1}P_r$	(c) ${}^{n}P_{r}$	(d) ${}^{n}P_{r-1}$
2.	If ${}^{5}P_{r} = 120$, then t	the value of <i>r</i> is		
	(a) 2	(b) 3+	(c) 5	(d) 4
3.	If ${}^{n}P_{5}$; ${}^{n}P_{2} = 2:1$. the	the value of n is		[Raiasthan PET 198
	(a) 2	(h) 3	(c) 4	(d) 5
4	The value of $n^{n-1} H$			
4.		r-1 15	6 N 11-1	
	(a) ${}^{n}P_{r}$	(b) $^{n-1}P_{r-1}$	(c) $^{n+1}P_{r+1}$	(d) $^{n-1}P_r$
5۰	If ${}^{m+n}P_2 = 56$ and n	$^{n-n}P_2 = 12$, then <i>m</i> , <i>n</i> are equa	ll to	
	(a) 5, 1	(b) 6, 2	(c) 7, 3	(d) 9, 6
6.	If $^{K+5}P_{K+1} = \frac{11(K-1)}{2}$	$\frac{1}{2} K^{+3} P_{K}$ then the values of K	are	
	(a) 2 and 6	(b) 2 and 11	(c) 7 and 11	(d) 6 and 7
7.	There are 5 roads the town and retu	leading to a town from a vi rn back, is	llage. The number of different	ways in which a villager can go
	(a) 25	(b) 20	(c) 10	(d) 5
8.	How many words	can be formed from the lette	ers of the word BHOPAL	
	(a) 124	(b) 240	(c) 360	(d) 720
9.	How many numbe	ers can be formed from the di	igits1, 2, 3, 4 when the repetitio	n is not allowed
	(a) ${}^{4}P_{4}$	(b) ${}^{4}P_{3}$	(c) ${}^{4}P_{1} + {}^{4}P_{2} + {}^{4}P_{3}$	(d) ${}^{4}P_{1} + {}^{4}P_{2} + {}^{4}P_{3} + {}^{4}P_{4}$
10.	How many number the digits are not	ers lying between 500 and 6 to be repeated	00 can be formed with the help	of the digits 1, 2, 3, 4, 5, 6 wh
	(a) 20	(b) 40	(c) 60	(d) 80
11.	4 buses runs betw Gwalior by anothe	veen Bhopal and Gwalior. If er bus, then the total possible	a man goes from Gwalior to B e ways are	hopal by a bus and comes back
	(a) 12	(b) 16	(c) 4	(d) 8
12.	In how many way	s can 10 true-false questions	be replied	
	(a) 20	(b) 100	(c) 512	(d) 1024
13.	There are 8 gates	in a hall. In how many ways	a person can enter in the hall a	nd come out from a different ga
	(a) 7	(b) 8 × 8	(c) 8 + 7	(d) 8 × 7
14.	P, Q, R and S have	to give lectures to an audier	nce. The organiser can arrange t	he order of their presentation in
	(a) 1 wave	(h) 12 wave	(c) 256 wave	(d) 24 ways
	(u) 4 ways	(0) 12 Ways	(c) 250 ways	(u) 24 ways

15. The product of any *r* consecutive natural numbers is always divisible by

22.	2 Permutations and	Combinations		
	(a) <i>r</i> !	(b) r ²	(c) <i>rⁿ</i>	(d) None of these
6.	The number of ways	in which first, second and	third prizes can be given to 5 co	mpetitors is
	(a) 10	(b) 60	(c) 15	(d) 125
7.	In a railway compar seats is	rtment there are 6 seats.	The number of ways in which 6	5 passengers can occupy these 6
				[Karnataka CET 2001]
	(a) 36	(b) 30	(c) 720	(d) 120
8.	If any number of flag	gs are used, how many sigr	hals can be given with the help of	f 6 flags of different colours
	(a) 1956	(b) 1958	(c) 720	(d) None of these
9.	The number of ways	of painting the faces of a d	cube with six different colours is	
	(a) 1	(b) 6	(c) 6 !	(d) None of these
		A	dvance Level	
0.	The value of 2^{n} {1.3.5.	$(2n-3)(2n-1)$ } is		
	(2n)!	(2n)!	<i>n</i> !	
	(a) $\frac{(1)}{n!}$	(b) $\frac{(2n)^{2}}{2^{n}}$	(c) $\frac{n!}{(2n)!}$	(d) None of these
1.	If ${}^{56}P_{r+6}$: ${}^{54}P_{r+3} = 30800$	0 : 1, then $r =$		[Roorkee 1983; Kurukshetra CEF
	1998]			
	(a) 31	(b) 41	(c) 51	(d) None of these
2.	The value of ${}^{n}P_{r}$ is e	qual to		
	(a) $^{n-1}P_r + r ^{n-1}P_{r-1}$	(b) $n \cdot P_r + P_{r-1} P_{r-1}$	(c) $n(^{n-1}P_r + ^{n-1}P_{r-1})$	(d) $^{n-1}P_{r-1} + ^{n-1}P_r$
3.	The exponent of 3 in	100 ! is		
	(a) 33	(b) 44	(c) 48	(d) 52
4.	The number of positi	ive integral solutions of <i>ab</i>	c = 30 is	[UPSEAT 2001]
	(a) 30	(b) 27	(c) 8	(d) None of these
5۰	The number of 4 digi	it even numbers that can b	e formed using 0, 1, 2, 3, 4, 5, 6	without repetition is
-	(a) 120	(b) 300	(c) 420	(d) 20
6.	The number of five d	ligits numbers that can be	formed without any restriction i	S
	(a) 990000	(b) 100000	(c) 90000	(d) None of these
7.	How many numbers	less than 1000 can be mad	le from the digits 1, 2, 3, 4, 5, 6 (repetition is not allowed)
	(a) 156	(b) 160	(c) 150	(d) None of these
8.	How many even num not allowed)	bers of 3 different digits o	can be formed from the digits 1,	2, 3, 4, 5, 6, 7, 8, 9 (repetition is
	(a) 224	(b) 280	(c) 324	(d) None of these
9.	A five digit number	divisible by 3 has to form	ed using the numerals 0, 1, 2, 3,	, 4 and 5 without repetition. The
	(a) 216	(b) 240	(c) 600	(d) 2125
0	In a circus there are	ten cages for accommodat	ing ten animals. Out of these fou	ur cages are so small that five ou
0.	of 10 animals canno these ten cages	ot enter into them. In how	many ways will it be possible [Roorkee 1989]	to accommodate ten animals in
	(a) 66400	(b) 86400	(c) 96400	(d) None of these
1.	How many numbers divisible by 5 while r	s can be made with the d repetition of any digit is no	igits 3, 4, 5, 6, 7, 8 lying betv ot allowed in any number	veen 3000 and 4000 which are
	(a) 60	(b) 12	(c) 120	(d) 24

number of even numbers among them is (a) 9 (b) 18 (c) 10 (d) None of these The total number of seven digit numbers the sum of whose digits is even is (a) 9000000 (b) 4500000 (c) 8100000 (d) None of these The sum of all 4 digit numbers that can be formed by using the digits 2, 4, 6, 8 (repetition of digits not allowed) is (b) 533280 (c) 53328 (d) None of these (a) 133320 How many numbers greater than 24000 can be formed by using digits 1, 2, 3, 4, 5 when no digit is repeated [Rajasthan (a) 36 (b) 60 (c) 84 (d) 120 How many numbers greater than hundred and divisible by 5 can be made from the digits 3, 4, 5, 6, if no digit is repeated [AMU 1999] (a) 6 (b) 12 (c) 24 (d) 30 The sum of all numbers greater than 1000 formed by using the digits 1, 3, 5, 7 no digit is repeated in any number is [AMU 1997] (a) 106656 (b) 101276 (c) 117312 (d) 811273 3 copies each of 4 different books are available. The number of ways in which these can be arranged on the 38. shelf is [Karnataka CET 1996] (c) $\frac{12!}{(3!)4}$ (b) $\frac{12!}{3!4!}$ (a) 12 ! (d) 369,000 Eleven books consisting of 5 Mathematics, 4 Physics and 2 Chemistry are placed on a shelf. The number of possible ways of arranging them on the assumption that the books of the same subject are all together is (c) 5! 4! 3! 2! (a) 4 ! 2! (b) 11! (d) None of these 40. The number of positive integers which can be formed by using any number of digits from 0, 1, 2, 3, 4, 5 but using each digit not more than once in each number is (a) 1200 (b) 1500 (c) 1600 (d) 1630 Let *A* be a set of $n \ge 3$ distinct elements. The number of triplets (x, y, z) of the elements of *A* in which at least two coordinates are equal is (c) $3n^2 - 2n$ (d) $3n^2(n-1)$ (b) $n^3 - {}^n P_3$ (a) ${}^{n}P_{3}$ The number of distinct rational numbers x such that 0 < x < 1 and $x = \frac{p}{q}$, where $p,q \in \{1,2,3,4,5,6\}$ is (a) 15 (b) 13 (c) 12 (d) 11 The total number of 5 digit numbers of different digits in which the digit in the middle is the largest is (a) $\sum^{9} {}^{n} P_4$ (b) 33 (3!) (c) 30 (3 !) (d) None of these Two teams are to play a series of 5 matches between them. A match ends in a win or loss or draw for a team. A number of people forecast the result of each match and no two people make the same forecast for the series of matches. The smallest group of people in which one person forecasts correctly for all matches will contain npeople, where *n* is (a) 81 (b) 243 (c) 486 (d) None of these Number of Permutations with Repetition

Basic Level

All possible four digit numbers are formed using the digits 0, 1, 2, 3 so that no number has repeated digits. The

The number of permutations of the letters $x^2y^4z^3$ will be 45.

32.

33.

34.

35.

36.

37.

39.

41.

42.

43.

44.

(a) $\frac{9!}{2!4!}$ (b) $\frac{9!}{2!4!3!}$ (c) $\frac{9!}{4!3!}$ (d) $9!$ 6. How many numbers consisting of 5 digits can be formed in which the digits 3, 4 and 7 are used only of the digit 5 is used twice (a) 30 (b) 60 (c) 45 (d) 90 7. The number of different arrangements which can be made from the letters of the word SERIES to together is (a) $\frac{6!}{2!2!}$ (b) $\frac{6!}{4!}$ (c) $6!$ (d) None of these 8. How many words can be formed with the letters of the word MATHEMATICS by rearranging them (a) $\frac{11!}{2!2!}$ (b) $\frac{11!}{2!2!}$ (c) $\frac{11!}{2!2!}$ (d) $11!$	nce and aken all
 6. How many numbers consisting of 5 digits can be formed in which the digits 3, 4 and 7 are used only of the digit 5 is used twice (a) 30 (b) 60 (c) 45 (d) 90 7. The number of different arrangements which can be made from the letters of the word SERIES to together is (a) 6!/(2!2!) (b) 6!/(4!) (c) 6! (d) None of these 8. How many words can be formed with the letters of the word MATHEMATICS by rearranging them (a) 11!//(a) 11! (b) 11!//(b) 11! 	once and
(a) 30 (b) 60 (c) 45 (d) 90 The number of different arrangements which can be made from the letters of the word SERIES to together is (a) $\frac{6!}{2!2!}$ (b) $\frac{6!}{4!}$ (c) $6!$ (d) None of these 3. How many words can be formed with the letters of the word MATHEMATICS by rearranging them (a) $\frac{11!}{2!2!}$ (b) $\frac{11!}{2!2!}$ (c) $\frac{11!}{2!2!}$ (d) $11!$	aken all
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(a) $\frac{6!}{2!2!}$ (b) $\frac{6!}{4!}$ (c) $6!$ (d) None of these 3. How many words can be formed with the letters of the word MATHEMATICS by rearranging them (a) $\frac{11!}{11!}$ (b) $\frac{11!}{11!}$ (c) $\frac{11!}{11!}$ (d) 11!	
B. How many words can be formed with the letters of the word MATHEMATICS by rearranging them (a) $\frac{11!}{(b)}$ (b) $\frac{11!}{(c)}$ (c) $\frac{11!}{(c)}$ (d) 11!	
(a) $\frac{11!}{11!}$ (b) $\frac{11!}{11!}$ (c) $\frac{11!}{11!}$ (d) 11!	
2!2! 2! 2!2!	
How many words can be made out from the letters of the word INDEPENDENCE, in which vowels alwa together	ys come
[Roork	ee 1989]
(a) 16800 (b) 16630 (c) 1663200 (d) None of these	
In how many ways 5 red, 4 blue and 1 green balls can be arranged in a row	
(a) 1260 (b) 2880 (c) 9! (d) 10!	
• Using 5 conveyances, the number of ways of making 3 journeys is	
(a) 3×5 (b) 3^5 (c) 5^3 (d) $5^3 - 1$	
. The total number of permutations of the letters of the word "BANANA" is [Rajasthan PET 1	1 997, 20 0
(a) 60 (b) 120 (c) 720 (d) 24	
The number of 7 digit numbers which can be formed using the digits 1, 2, 3, 2, 3, 3, 4 is	
(a) 420 (b) 840 (c) 2520 (d) 5040	
The number of 3 digit odd numbers, that can be formed by using the digits 1, 2, 3, 4, 5, 6 when the repeallowed, is	tition is
[PD. C. (a) 60 (b) 108 (c) 26 (d) 20	ET 1999]
(a) 00 (b) 100 (c) 30 (d) 30	-999 h
rearrangement of the digits so that the odd digits occupy even places Screening 2000; Karnataka CET 2002]	[IIT
(a) 16 (b) 36 (c) 60 (d) 180	
Using all digits 2, 3, 4, 5, 6 how many even numbers can be formed	
(a) 24 (b) 48 (c) 72 (d) 120	
Let <i>S</i> be the set of all functions from the set <i>A</i> to the set <i>A</i> . If $n(A) = k$ then $n(S)$ is	
(a) $k!$ (b) k^k (c) $2^k - 1$ (d) 2^k	
The number of ways in which 6 rings can be worn on the four fingers of one hand is [AM	//U 1983
(a) 4^6 (b) 6C_4 (c) 6^4 (d) None of these	
In how many ways can 4 prizes be distributed among 3 students, if each student can get all the 4 prizes	
(a) $4!$ (b) 3^4 (c) 3^4-1 (d) 3^3	
 In how many ways 3 letters can be posted in 4 letter-boxes, if all the letters are not posted in the sam box 	e letter-
(a) 63 (b) 60 (c) 77 (d) 81	
• There are 4 parcels and 5 post-offices. In how many different ways the registration of parcel can be made	le
(a) 20 (b) 4^5 (c) 5^4 (d) $5^4 - 4^5$	

How many numbers lying between 10 and 1000 can be formed from the digits 1, 2, 3, 4, 5, 6, 7, 8, 9 (repetition 62. is allowed) (a) 1024 (b) 810 (c) 2346 (d) None of these 63. Ten different letters of an alphabet are given. Words with five letters are formed from these given letters. Then the number of words which have at least one letter repeated is [IIT 1980; MNR 1998, 99; DCE 2001] (a) 69760 (b) 30240 (c) 99748 (d) None of these Six identical coins are arranged in a row. The number of ways in which the number of tails is equal to the 64. number of heads is (a) 20 (b) 9 (c) 120 (d) 40 **65.** The total number of permutations of n(>1) different things taken not more than r at a time, when each thing may be repeated any number of times is (a) $\frac{n(n^n-1)}{n-1}$ (b) $\frac{n^r - 1}{n - 1}$ (c) $\frac{n(n^r-1)}{n-1}$ (d) None of these How many number less than 10000 can be made with the eight digits 1, 2, 3, 4, 5, 6, 7, 0 (digits may repeat) 66. (a) 256 (b) 4095 (c) 4096 (d) 4680 The total number of natural numbers of six digits that can be made with digits 1, 2, 3, 4, if the all digits are to 67. appear in the same number at least once, is (a) 1560 (b) 840 (c) 1080 (d) 480 68. A library has a copies of one book, b copies of each of two books, c copies of each of three books and single copies of *d* books. The total number of ways in which these books can be distributed is (a) $\frac{(a+b+c+d)!}{a!b!c!}$ (b) $\frac{(a+2b+3c+d)!}{a!(b!)^2(c!)^3}$ (c) $\frac{(a+2b+3c+d)!}{a!b!c!}$ (d) None of these The number of ways of arranging 2m white counters and 2n red counters in a straight line so that the 69. arrangement is symmetrical with respect to a central mark (b) $\frac{(m+n)!}{2}$ (c) $\frac{2(m+n)!}{m!n!}$ (a) (m+n)!(d) None of these m!n!Total number of four digit odd numbers that can be formed using 0, 1, 2, 3, 5, 7 are [AIEEE 2002] 70. (a) 216 (b) 375 (c) 400 (d) 720 The number of ways of arranging the letter AAAAA BBB CCC D EE F in a row when no two C's are together is 71. (a) $\frac{15!}{5!3!3!2!} - 3!$ (b) $\frac{15!}{5!3!3!2!} - \frac{13!}{5!3!2!}$ (c) $\frac{12!}{5!3!2!} \times \frac{^{13}P_3}{3!}$ (d) $\frac{12!}{5!3!2!} \times ^{13}P_3$ The number of 4 digit numbers that can be made with the digits 1, 2, 3, 4 and 5 in which at least two digits are 72. identical, is (a) $4^5 - 5!$ (b) 505 (c) 600 (d) None of these **Conditional Permutations Basic Level** The number of words which can be formed from the letters of the word MAXIMUM, if two consonants cannot 73. occur together, is (a) 4 ! (b) 3!×4! (c) 7 ! (d) None of these The number of ways in which the letters of the word TRIANGLE can be arranged such that two vowels do not 74. occur together is (a) 1200 (b) 2400 (c) 14400 (d) None of these How many words can be formed form the letters of the word COURTESY, whose first letter is C and the last 75. letter is Y (a) 6 ! (b) 8 ! (c) 2 (6) ! (d) 2(7)!

76.	How many words can be	e made from the letters of the w	ord DELHI, if L comes in the	e middle in every word
	(a) 12	(b) 24	(c) 60	(d) 6
77.	The number of ways in together is	which the letters of the word A	ARRANGE can be arranged s	such that both R do not come
				[MP PET 1993]
	(a) 360	(b) 900	(c) 1260	(d) 1620
7 8.	How many words can be	e made from the letters of the w	ord BHARAT in which B and	<i>H</i> never come together[IIT 19 77]
	(a) 360	(b) 300	(c) 240	(d) 120
7 9 .	How many words can be	e made from the letters of the w	ord INSURANCE, if all vowe	els come together
	(a) 18270	(b) 17280	(c) 12780	(d) None of these
80.	There are three girls in row such that no two of	a class of 10 students. The nur the three girls are together is	nber of different ways in w	which they can be seated in a
	(a) $7 ! \times {}^{6}P_{3}$	(b) $7! \times {}^{8}P_{3}$	(c) 7!×3!	(d) $\frac{10!}{3!7!}$
81.	In how many ways can g	5 boys and 5 girls stand in a row	v so that no two girls may be	e together
	(a) $(5!)^2$	(b) 5!×4!	(c) $5! \times 6!$	(d) $6 \times 5!$
82.	The number of arrangen	nents of the letters of the word	BANANA in which two N's d	o not appear adjacently is [IIT Scree
02.	(a) 40	(b) 60	(c) 80	(d) 100
83.	The number of ways in y	which 5 boys and 3 girls can be	seated in a row so that each	girl in between two boys [Kerala ()
	(a) 2880	(b) 1880	(c) 3800	(d) 2800
84.	The number of words th	nat can be formed out of the lett	ers of the word ARTICLE so	that the vowels occupy even
	places is			
				[Karnataka CET 2003]
	(a) 36	(b) 574	(c) 144	(d) 754
85.	The number of ways in	which three students of a class	may be assigned a grade o	f A, B, C or D so that no two
	$(-)$ 2^4	(b) 4^3	(-) ⁴ D	(h) ⁴ C
	(a) 3	(b) 4^{2}	(c) P_{3}	(d) C_3
86.	The number of ways law play in the same set is	n tennis mixed double can be ma	ade up from seven married c	ouples if no husband and wife
	(a) 210	(b) 420	(c) 840	(d) None of these
		Advance .	Level	
87.	How many numbers gre	ater 40000 can be formed from	the digits 2, 4, 5, 5, 7	
	(a) 12	(b) 24	(c) 36	(d) 48
88.	In how many ways <i>n</i> boo	oks can be arranged in a row so	that two specified books are	e not together
	(a) $n! - (n-2)!$	(b) $(n-1)!(n-2)$	(c) $n!-2(n-1)$	(d) $(n-2)n!$
89.	How many numbers bet appearing not more than	ween 5000 and 10,000 can be n once in each number	formed using the digits 1, 2	, 3, 4, 5, 6, 7, 8, 9 each digit
	(a) $5 \times^{8} P_{3}$	(b) $5 \times {}^{8}C_{3}$	(c) $5! \times {}^{8}P_{3}$	(d) $5! \times {}^{8}C_{3}$
90.	Find the total number of	f 9 digit numbers which have all	the digits different	[IIT 1982]
	(a) 9 × 9 !	(b) 9 !	(c) 10 !	(d) None of these
91.	Four dice (six faced) are	e rolled. The number of possible	outcomes in which at least	one die shows 2 is
-	(a) 1296	(b) 625	(c) 671	(d) None of these
92.	How many numbers. lvi	ing between 99 and 1000 be ma	ade from the digits 2. 3. 7. (0. 8. 6 when the digits occur
5	only once in each number	er		[MP PET 1984]

			Perm	utations and Combinations 227
	(a) 100	(b) 90	(c) 120	(d) 80
93.	The sum of the dig	its in the unit place of all nu	umbers formed with the help o	of 3, 4, 5, 6 taken all at a time is [Pb. CET a
	(a) 18	(b) 432	(c) 108	(d) 144
94.	All letters of the meaning) are writ	word AGAIN are permuted ten as in dictionary, then the	in all possible ways and the ${\rm e}~{\rm 50}^{\rm th}$ word is	words so formed (with or without
	(a) NAAGI	(b) IAANG	(c) NAAIG	(d) INAGA
95.	Eight chairs are n choose the chairs remaining. The nu	umbered 1 to 8. Two women from amongst the chairs n mber of possible arrangeme	n and three men wish to occu narked 1 to 4 and then men nts is	py one chair each. First the women select the chairs from amongst the
	(a) ${}^{6}C_{3} \times {}^{4}C_{2}$	(b) ${}^{4}C_{2} \times {}^{4}P_{3}$	(c) ${}^{4}P_{2} \times {}^{4}P_{3}$	(d) None of these
96.	If a denotes the nutthings taken 11 at $a = 182bc$, then the	The arrow of the permutations of x to a time and c the number value of x is	+2 things taken all at a time of permutations of $x-11$ the	, b the number of permutations of x hings taken all at a time such that
	(a) 15	(b) 12	(c) 10	(d) 18
9 7.	The number of way	ys in which ten candidates A	A_1, A_2, \dots, A_{10} can be ranked su	that A_1 is always above A_{10} is
	(a) 5!	(b) 2 (5 !)	(c) 10 !	(d) $\frac{1}{2}(10!)$
98.	A dictionary is pri If the words are p word CRICKET is	nted consisting of 7 lettered rinted at the alphabetical or [Orissa JEE 2003]	words only that can be made rder, as in an ordinary diction	e with a letter of the word CRICKET. hary, the number of word before the
	(a) 530	(b) 480	(c) 531	(d) 481
99.	Seven different lee three of the lectur lecture before B, a	cturers are to deliver lecture ers. The number of ways in nd B before C, is	es in seven periods of a class which a routine for the day o	on a particular day. <i>A</i> , B and C are can be made such that A delivers his
	(a) 420	(b) 120	(c) 210	(d) None of these
100.	Let $A = \{x : x \text{ is a } \}$	prime number and $x < 30$.	The number of different ratio	onal numbers whose numerator and
	denominator belor	ng to A is		
	(a) 90	(b) 180	(c) 91	(d) None of these
101.	The number of nu than the digit in th	mbers of 9 different non-ze ne middle and all the digits in	ero digits such that all the di n the last four places are grea	gits in the first four places are less ter than that in the middle is
	(a) 2 (4 !)	(b) $(4!)^2$	(c) 8 !	(d) None of these
102.	How many ways a	re there to arrange the letter	rs in the word GARDEN with t	the vowels in alphabetical order[AIEEE 20
	(a) 480	(b) 240	(c) 360	(d) 120
				Circular Permutations
			Basic Level	
103.	If eleven members then the number o	s of a committee sit at a rou f arrangement is	and table so that the presiden	t and secretary always sit together,
	(a) 10 ! × 2	(b) 10 !	(c) 9!×2	(d) None of these
104.	In how many ways	s can 5 keys be put in a ring		
	(a) $\frac{4!}{2}$	(b) $\frac{5!}{5!}$	(c) <u>4</u>]	(d) =1
	2	2	(6) 4:	(4) 5.
105.	In how many way together	s can 12 gentlemen sit aro	und a round table so that th	ree specified gentlemen are always
	(a) 9 !	(b) 10 !	(c) 3 ! 10!	(d) 3!9!

106.	n gentlemen can be m	nade to sit on a round table	in	[MP PET 1982
	(a) $\frac{1}{2}(n+1)!$ ways	(b) $(n-1)!$ ways	(c) $\frac{1}{2}(n-1)!$ ways	(d) $(n+1)!$ ways
107.	In how many ways 7 together	men and 7 women can be	seated around a round table	such that no two women can si
			[EAMCET 1990; MP F	PET 2001; DCE 2001; UPSEAT 2002
	(a) $(7!)^2$	(b) 7!×6!	(c) $(6!)^2$	(d) 7 !
108.	The number of circula	ar permutations of <i>n</i> differe	ent objects is	
	(a) <i>n</i> !	(b) <i>n</i>	(c) $(n-2)!$	(d) $(n-1)!$
		Ad	vance Level	
109.	In how many ways c side of the Chairman	an 15 members of a counci and the Deputy secretary o	l sit along a circular table, when the other side	en the Secretary is to sit on on
	(a) 2×12!	(b) 24	(c) 2 × 15 !	(d) None of these
110.	20 persons are invite table, if the two parti	ed for a party. In how man cular persons are to be sea	ny different ways can they and ted on either side of the host	the host be seated at a circula
	(a) 20!	(b) 2.18!	(c) 18 !	(d) None of these
111.	12 persons are to be a the total number of a	arranged to a round table. I rrangements is	f two particular persons among	g them are not to be side by side
	(a) 9(10 !)	(b) 2 (10 !)	(c) 45 (8 !)	(d) 10 !
112.	The number of ways	that 8 beads of different co	lours be string as a necklace is	[EAMCET 2002
	(a) 2520	(b) 2880	(c) 5040	(d) 4320
113.	The number of ways i is given by	in which 6 men and 5 wome	en can dine at a round table if r	no two women are to sit togethe
				[AIEEE 2003; Rajasthan PET 2003
	(a) 6!×5!	(b) 30	(c) $5! \times 4!$	(d) $7! \times 5!$
114.	In how many ways ca	n 10 persons sit, when 6 pe	ersons sit on one round table an	d 4 sit on the other round table
	(a) 5!×3!	(b) 10 × 5! × 3 !	(c) ${}^{10}C_6 \times 5 ! \times 3!$	(d) ${}^{10}C_6 \times 5! \times 3! \times 2!$
115.	There are 20 persons a circle so that there	among whom two are brot is exactly one person betw	hers . The number of ways in w een the two brothers , is	hich we can arrange them roun
	(a) 18 !	(b) 2 (18!)	(c) 2 (19 !)	(d) None of these
116.	A family has 8 memb months 8 members ca	ers. Four members take foo an take food by sitting in di	od two times a day on two ident fferent orders (1 month = 30 da	ical round tables. For how man ays)
	(a) 42 months	(b) 21 months	(c) $\frac{21}{2}$ months	(d) None of these
		Funda	mental concept and Numbe	er of Combinations without
		В	asic Level	
117	If n is even and the w	alue of ${}^{n}C$ is maximum th	en <i>r</i> –	
		c_r is maximum, th		

(a) $\frac{n}{2}$ (b) $\frac{n+1}{2}$ (c) $\frac{n-1}{2}$ (d) None of these

118.	$^{47}C_4 + \sum_{r=1}^{5} {}^{52-r}C_3 =$			[IIT 1980; Rajasthan PET 2002; UPSEAT
	2000]			
	(a) ${}^{47}C_6$	(b) ${}^{52}C_5$	(c) ${}^{52}C_4$	(d) None of these
119.	If ${}^{n}C_{3} = 220$, then $n =$			
	(a) 10	(b) 12	(c) 15	(d) 8
120.	If $2 \times {}^{n}C_{5} = 9 \times {}^{n-2}C_{5}$, then t	the value of <i>n</i> will be		
	(a) 7	(b) 10	(c) 9	(d) 5
121.	The number of combinat	ions of <i>n</i> different objects taken	r at a time will	l be
	(a) ${}^{n}P_{r}$	(b) ${}^{n}P_{r}r!$	(c) $\frac{{}^{n}P_{r}}{r!}$	(d) None of these
122.	$^{n^2-n}C_2 = ^{n^2-n}C_{10}$, then $n =$			
	(a) 12	(b) 4 only	(c) - 3 only	(d) 4 or – 3
123.	${}^{n}C_{r} + {}^{n}C_{r-1}$ is equal to 2002]			[MP PET 1984; Kerala (Engg.)
	(a) $^{n+1}C_r$	(b) ${}^{n}C_{r+1}$	(c) $^{n+1}C_{r+1}$	(d) $^{n-1}C_{r-1}$
124.	If ${}^{8}C_{r} = {}^{8}C_{r+2}$, then the va	lue of ${}^{r}C_{2}$ is		[MP PET 1984; Rajasthan PET
	1987]			
	(a) 8	(b) 3	(c) 5	(d) 2
125.	If ${}^{20}C_{n+2} = {}^{n}C_{16}$, then the	value of <i>n</i> is		[MP PET 1984]
	(a) 7	(b) 10	(c) 13	(d) No value
126.	The value of ${}^{15}C_3 + {}^{15}C_{13}$ is	is		
	(a) ${}^{16}C_3$	(b) ${}^{30}C_{16}$	(c) $^{15}C_{10}$	(d) $^{15}C_{15}$
127.	If ${}^{10}C_r = {}^{10}C_{r+2}$, then 5C_r	equals		
	(a) 120	(b) 10	(c) 360	(d) 5
128.	If ${}^{n}C_{r} = 84, {}^{n}C_{r-1} = 36$ and	${}^{n}C_{r+1} = 126$, then <i>n</i> equals		[Rajasthan PET 1997; MP PET
	2001] (a) 8	(b) 9	(c) 10	(d) 5
129.	If ${}^{n}C_{3} + {}^{n}C_{4} > {}^{n+1}C_{3}$, then		(-,	[Rajasthan PET 1999]
-	(a) $n > 6$	(b) $n > 7$	(c) <i>n</i> < 6	(d) None of these
130.	Value of <i>r</i> for which ${}^{15}C_r$	$_{+3} = {}^{15}C_{2r-6}$ is		[Pb. CET 1999]
	(a) 2	(b) 4	(c) 6	(d) - 9
131.	For $2 \le r \le n$, $\binom{n}{r} + 2\binom{n}{r-1} + \frac{n}{r-1}$	$\binom{n}{r-2}$ is equal to		[IIT Screening 2000]
	(a) $\binom{n+1}{r-1}$	(b) $2\binom{n+1}{r+1}$	(c) $2\binom{n+2}{r}$	(d) $\binom{n+2}{r}$
132.	$^{n-1}C_3 + ^{n-1}C_4 > ^nC_3$ then the	e value of <i>n</i> is		[Rajasthan PET 2000]
	(a) 7	(b) < 7	(c) > 7	(d) None of these
133.	$\binom{n}{n-r} + \binom{n}{r+1}$, whenever	$0 \le r \le n-1$ is equal to		[AMU 2000]
	(a) $\binom{n}{r-1}$	(b) $\binom{n}{r}$	(c) $\binom{n}{r+1}$	(d) $\binom{n+1}{r+1}$

134.	If ${}^{43}C_{r-6} = {}^{43}C_{3r+1}$, then t	he value of <i>r</i> is		[Kerala (Engg.) 2002]
	(a) 12	(b) 8	(c) 6	(d) 10
135.	The least value of natur	al number <i>n</i> satisfying $C(n,5) + C(n,5) + C(n,5)$	C(n,6) > C(n+1,5) is	[EAMCET 2002]
	(a) 11	(b) 10	(c) 12	(d) 13
136.	If ${}^{n}C_{r}$ denotes the 1	number of combinations of	n things taken r at a	time, then the expression
	${}^{n}C_{r+1} + {}^{n}C_{r-1} + 2 \times {}^{n}C_{r}$, equ	als		
				[AIEEE 2003]
	(a) $^{n+2}C_r$	(b) $^{n+2}C_{r+1}$	(c) $^{n+1}C_r$	(d) $^{n+1}C_{r+1}$
137.	${}^{5}C_{1} + {}^{5}C_{2} + {}^{5}C_{2} + {}^{5}C_{4} + {}^{5}C_{5}$	is equal to		[Rajasthan PET 1989]
57	(a) 30	(h) 31	(c) 32	(d) 33
138.	If $C(n, 12) = C(n, 8)$, then t	he value of $C(22,n)$ is	(0) 52	[Rajasthan PET 1993]
0	(a) 924	(h) 308	(c) <u>462</u>	(d) 231
120	If ${}^{20}C = {}^{20}C$ then ${}^{18}C$	' is equal to	(0) 402	(4) 201 [Pajasthan DET 1088]
1390	(a) 816	(b) 1622	(c) 4806	(d) None of these
140	$\int dx = \int dx = $	(0) 1032	(c) 4890	
140.	If C_4 , C_5 , C_6 are in A.P			[AMU 1989]
	(a) 14 or 7 There are 12 wellowball	(b) 11	(C) 17	(d) 8
141.	captain always remains	the same, then in how many wa	avs can the team be formed	ayers is to be formed. If the
	(a) 36	(b) 108	(c) 99	(d) 165
142.	There are 16 vacancies	for clerks in a certain office, 2	20 applications are received	l. In how many ways can the
	clerks be appointed			
	(a) 3800	(b) 3876	(c) 969	(d) 4845
143.	In how many ways a con	nmittee of 5 members can be for	med out of 8 gentlemen and	4 ladies, if one particular lady
	(a) 140	(h) 220	(c) 560	(d) None of these
144.	How many words can be	e formed by taking 3 consonants	s and 2 vowels out of 5 cons	conants and 4 vowels
-11		${}^{5}C_{0} \times {}^{4}C_{0}$	J J	
	(a) ${}^{5}C_{3} \times {}^{4}C_{2}$	(b) $\frac{-c_3 + c_2}{5}$	(c) ${}^{5}C_{3} \times {}^{4}C_{3}$	(d) $({}^{3}C_{3} \times {}^{4}C_{2})(5)!$
145.	A male and a female typ	oist are needed in an institutior	n. If 10 ladies and 15 gentler	men apply, then in how many
	ways can the selection t	be made		
_	(a) 125	(b) 145	(c) 150	(d) None of these
146.	Everybody in a room s	shakes hand with everybody e	lse. The total number of l	nand shakes is 66. The total
	(a) 11	(b) 12	(c) 13	(d) 14
147.	There are 9 chairs in a	room on which 6 persons are 1	to be seated, out of which o	one is guest with one specific
	chair. In how many way	rs they can sit	,	0 1
	(a) 6720	(b) 60480	(c) 30	(d) 346
148.	On the occasion of Deep	awali festival each student of a	a class sends greeting cards	to the others. If there are 20
	students in the class, the 20	en the total number of greeting	cards exchanged by the stu $\frac{20}{3}$	dents is
	(a) ${}^{20}C_2$	(b) $2.20 C_2$	(c) $2.^{20}P_2$	(d) None of these
149.	A father with 8 children	takes them 3 at a time to the 2	Zoological gardens, as often	as he can without taking the
	(a) 336	(b) 112	(c) 56	(d) None of these
150.	In how many ways can	5 red and 4 white balls be draw	n from a bag containing 10	red and 8 white balls

			Permu	itations and Combinations 231
				[EAMCET 1991; Pb. CET 2000]
	(a) ${}^{8}C_{5} \times {}^{10}C_{4}$	(b) ${}^{10}C_5 \times {}^8C_4$	(c) $^{18}C_9$	(d) None of these
151.	There are 15 perso	ns in a party and each persor	n shake hand with another, th	en total number of hand shakes is [Raj
	(a) $^{15}P_2$	(b) $^{15}C_2$	(c) 15!	(d) 2(15!)
152.	A fruit basket cont from among the fr	ains 4 oranges, 5 apples and uits in the basket is	6 mangoes. The number of w	ays person make selection of fruits
	(a) 210	(b) 209	(c) 208	(d) None of these
153.	In a cricket champ	ionship there are 36 matches	. The number of teams if each	n plays one match with other are [Karn
	(a) 8	(b) 9	(c) 10	(d) None of these
		Ad	vance Level	
154.	If ${}^{2n}C_3: {}^nC_2 = 44:3$, then for which of the follow	ring values of <i>r</i> , the values of	${}^{n}C_{r}$ will be 15
	(a) $r = 3$	(b) $r = 4$	(c) $r = 6$	(d) $r = 5$
155.	${}^{n}C_{r} + {}^{n-1}C_{r} + \dots + {}^{r}C_{r}$, =		[AMU 2002]
	(a) $^{n+1}C_r$	(b) $^{n+1}C_{r+1}$	(c) $^{n+2}C_r$	(d) 2^n
156.	The solution set of	$^{10}C_{x-1} > 2$. $^{10}C_x$ is		
	(a) {1, 2, 3}	(b) {4, 5, 6}	(c) {8, 9, 10}	(d) {9, 10, 11}
157.	$\sum_{r=0}^{m} {}^{n+r}C_n =$			
	(a) $^{n+m+1}C_{n+1}$	(b) $^{n+m+2}C_n$	(c) $^{n+m+3}C_{n-1}$	(d) None of these
158.	If $\alpha = {}^{m}C_{2}$, then ${}^{\alpha}C$, is equal to		
	(a) $^{m+1}C_4$	(b) $^{m-1}C_4$	(c) $3^{m+2}C_4$	(d) $3^{m+1}C_{4}$
159.	¹⁴ $C_4 + \sum_{j=1}^{4} {}^{18-j}C_3$ is	equal to		
	(a) $^{18}C_3$	(b) $^{18}C_4$	(c) $^{14}C_7$	(d) None of these
160.	If $a_n = \sum_{r=0}^n \frac{1}{{}^n C_r}$ then	$\sum_{r=0}^{n} \frac{r}{{}^{n}C_{r}}$ equals		[IIT 1998]
	(a) $(n-1)a_n$	(b) <i>na_n</i>	(c) $\frac{1}{2}na_n$	(d) None of these
161.	In a football cham number of teams p 1998]	pionship, there were played participating in the champion	2 153 matches. Every team play ship is [Wes	yed one match with each other. The t Bengal JEE 1992; Kurukshetra CEE
	(a) 17	(b) 18	(c) 9	(d) 13
162.	Ten persons, amor if A wants to speal	ngst whom are A, B and C to s to before B and B wants to spe	speak at a function. The numl ak before C is	ber of ways in which it can be done
	(a) $\frac{10!}{6}$	(b) 3 ! 7 !	(c) ${}^{10}P_3.7!$	(d) None of these
163.	The number of tim	es the digit 5 will be written	when listing the integers from	m 1 to 1000 is
	(a) 271	(b) 272	(c) 300	(d) None of these
164.	All possible two fa total obtained whi	ctors products are formed fr ch are multiples of 5 is	om numbers 1, 2, 3, 4, 20	0. The number of factors out of the

232	2 Permutations and C	combinations		
	(a) 5040	(b) 7180	(c) 8150	(d) None of these
65.	A car will hold 2 in the ways in which the car	he front seat and 1 in the can be filled is	rear seat. If among 6 perso	ns 2 can drive, then the number of
	(a) 10	(b) 20	(c) 30	(d) None of these
66.	The expression ${}^{n+1}C_2$ +	$2(^{2}C_{2} + ^{3}C_{2} + \dots + ^{n}C_{2})$ can be	e reduced to	
	(a) $\frac{n(n+1)}{2}$	(b) $\frac{n(n-1)}{2}$	(c) $\frac{n(n+1)(2n+1)}{6}$	(d) $\frac{n(2n+1)}{3}$
67.	The value of $({}^{7}C_{0} + {}^{7}C_{1})$	$+({}^{7}C_{1}+{}^{7}C_{2})++({}^{7}C_{6}+{}^{7}C_{7})$	is	[AMU 1990, 92]
	(a) $2^7 - 1$	(b) $2^8 - 2$	(c) $2^8 - 1$	(d) 2^8
68.	The expression ${}^{n}C_{r} + 4$	${}^{n}C_{r-1} + 6 {}^{n}C_{r-2} + 4 {}^{n}C_{r-3} + {}^{n}C_{r-3}$	4 equals	[AMU 1993, 91]
	(a) $^{n+4}C_r$	(b) $2 \cdot {}^{n+4}C_{r-1}$	(c) $4.^{n}C_{r}$	(d) $11.^{n}C_{r}$
		Number of Con	nbinations with Repetiti	on and All possible Selections
		Ba	asic Level	
69.	Ramesh has 6 friends.	In how many ways can he	invite one or more of them	at a dinner
	(a) 61	(b) 62	(c) 63	(d) 64
70.	Out of 10 white, 9 bla made, is	ack and 7 red balls, the n	umber of ways in which sel	lection of one or more balls can be
	(a) 881	(b) 891	(c) 879	(d) 892
71.	Out of 6 books, in how	n many ways can a set of or	ne or more books be chosen	[MP PET 1984]
	(a) 64	(b) 63	(c) 62	(d) 65
72.	In an examination the in which a student car 2001]	ere are three multiple choi 1 fail to get all answers cor	ce questions and each quest rrect, is	tion has 4 choices. Number of ways [Pb. CET 1990; UPSEAT
	(a) 11	(b) 12	(c) 27	(d) 63
73.	The total number of o word 'MISSISSIPPI' is	lifferent combinations of o	one or more letters which c	an be made from the letters of the
	(a) 150	(b) 148	(c) 149	(d) None of these
74.	The total number of w paise coins is	vays of selecting six coins o	out of 20 one rupee coins, 10	0 fifty paise coins and 7 twenty five
	(a) 28	(b) 56	(c) ${}^{37}C_6$	(d) None of these
		Adv	vance Level	
75.	In an election there a candidates but not gre	re 8 candidates, out of wh eater then the number to be	nich 5 are to be chosen. If a e chosen, then in how many	a voter may vote for any number of ways can a voter vote
	(a) 216	(b) 114	(c) 218	(d) None of these
76.	In an election the nur ways, then the numbe	nber of candidates is 1 gre r of candidates is	eater than the persons to be	e elected. If a voter can vote in 254
	(a) 7	(b) 10	(c) 8	(d) 6
77.	The number of ways of fourth player just one	of dividing 52 cards among card, is	st four players so that three	players have 17 cards each and the

178. In a city no two persons have identical set of teeth and there is no person without a tooth. Also no person has more than 32 teeth. If we disregard the shape and size of tooth and consider only the positioning of the teeth, then the maximum population of the city is (c) $2^{32} - 1$ (d) 2^{32-1} (a) 2^{32} (b) $(32)^2 - 1$ 179. The number of ways in which four letters of the word 'MATHEMATICS' can be arranged is given by [Kurukshetra CEE 1996; Pb. CET 1995] (a) 136 (b) 192 (c) 1680 (d) 2454 **180.** A person is permitted to select at least one and at most n coins from a collection of 2n+1 (distinct) coins. If the total number of ways in which he can select coins is 255, then *n* equals (b) 8 (c) 16 (d) 32 (a) 4 181. The total number of ways of selecting five letters from the letters of the word 'INDEPENDENT' is (a) 70 (b) 3320 (c) 120 (d) None of these **182.** There are *n* different books and *p* copies of each in a library. The number of ways in which one or more books can be selected is (a) $p^n + 1$ (c) $(p+1)^n - p$ (b) $(p+1)^n - 1$ (d) p^n Conditional Combinations, Derangement, Division into groups **Basic** Level 183. In how many ways can 21 English and 19 Hindi books be placed in a row so that no two Hindi books are together (a) 1540 (b) 1450 (c) 1504 (d) 1405 184. The number of ways in which five identical balls can be distributed among ten identical boxes such that no box contains more than one ball, is (b) $\frac{10!}{5!}$ (c) $\frac{10!}{(5!)^2}$ (a) 10 ! (d) None of these 185. In how many ways can two balls of the same colour be selected out of 4 black and 3 white balls (d) 8 (b) 6 (c) 9 (a) 5 186. Ten persons are arranged in a row. The number of ways of selecting four persons so that no two persons sitting next to each other are selected is (a) 34 (b) 36 (c) 35 (d) None of these 187. In a touring cricket team there are 16 players in all including 5 bowlers and 2 wicket-keepers. How many teams of 11 players from these, can be chosen, so as to include three bowlers and one wicket-keeper (a) 650 (d) 800 (b) 720 (c) 750 188. A total number of words which can be formed out of the letters a, b, c, d, e, f taken 3 together such that each word contains at least one vowel, is (c) 96 (d) None of these (a) 72 (b) 48 189. Out of 6 boys and 4 girls, a group of 7 is to be formed. In how many ways can this be done if the group is to have a majority of boys [MP PET 1994] (a) 120 (b) 90 (c) 100 (d) 80 **190.** Let *A* be a set containing 10 distinct elements. Then the total number of distinct functions from *A* to *A*, is **(b)** 10¹⁰ (c) 2^{10} (d) $2^{10} - 1$ (a) 10 ! 191. A lady gives a dinner party for six guests. The number of ways in which they may be selected from among ten friends, if two of the friends will not attend the party together is (a) 112 (b) 140 (d) None of these (c) 164 **192.** The number of ways in which *mn* students can be distributed equally among *n* sections is

	(a) $(mn)^n$	(b) $\frac{(mn)!}{(m!)^n}$	(c) $\frac{mn}{m!}$	(d) $\frac{mn}{m!n!}$
193.	There are 3 candidates f	or a post and one is to be selec	ted by the votes of 7 men. 1	The number of ways in which
	(a) 7^3	(b) 3^7	(c) $^{7}C_{2}$	(d) None of these
104	In how many wave can 1	o halls he divided between two	hours one receiving two one	the other eight halls
194.	(a) 45	(b) 75		(d) None of these
105	The number of ways in	which thirty five apples can h	e distributed among 3 boy	s so that each can have any
-95	number of apples, is	which thirty live applee can e	e alocitoacea among 5 boy	o oo that cach can have any
	(a) 1332	(b) 666	(c) 333	(d) None of these
196.	The number of ways in least one prize is	which six different prizes can	be distributed among thre	e children each receiving at
			()	[JMIEEE 1997]
	(a) 270	(b) 540	(c) 1080	(d) 2160
		Advance	Level	
197.	In how many ways can R	s. 16 be divided into 4 person v	when none of them get less t	han Rs. 3
	(a) 70	(b) 35	(c) 64	(d) 192
198.	Two packs of 52 cards at he does not get two card	re shuffled together. The numb s of the same suit and same der	er of ways in which a man nomination is	can be dealt 26 cards so that
	(a) ${}^{52}C_{26}.2^{26}$	(b) $^{104}C_{26}$	(c) $2.{}^{52}C_{26}$	(d) None of these
199.	Choose the correct numb of books	per of ways in which 15 differe	nt books can be divided into	o five heaps of equal number
				[MD DFT 1082]
	(a) $\frac{15!}{5!(3!)^5}$	(b) $\frac{15!}{(3!)^5}$	(c) $^{15}C_5$	(d) ${}^{15}P_5$
200.	(a) $\frac{15!}{5!(3!)^5}$ There were two women participants. The numbe of games that the men pl	(b) $\frac{15!}{(3!)^5}$ participating in a chess tournar r of games that the men played layed with the women. The num	(c) ${}^{15}C_5$ ment. Every participant play between themselves proved ober of participants is	(d) ${}^{15}P_5$ red two games with the other l to exceed by 66 the number
200.	(a) $\frac{15!}{5!(3!)^5}$ There were two women participants. The number of games that the men plant (a) 6	(b) $\frac{15!}{(3!)^5}$ participating in a chess tournar r of games that the men played layed with the women. The num (b) 11	(c) ${}^{15}C_5$ nent. Every participant play between themselves proved ber of participants is (c) 13	(d) ${}^{15}P_5$ red two games with the other d to exceed by 66 the number (d) None of these
200. 201.	(a) $\frac{15!}{5!(3!)^5}$ There were two women participants. The number of games that the men plant (a) 6 Five balls of different co	(b) $\frac{15!}{(3!)^5}$ participating in a chess tournar r of games that the men played layed with the women. The num (b) 11 lours are to be placed in three	(c) ${}^{15}C_5$ ment. Every participant play between themselves proved ober of participants is (c) 13 boxes of different sizes. Eac	(d) ${}^{15}P_5$ red two games with the other l to exceed by 66 the number (d) None of these ch box can hold all five balls.
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Permutations and Combinations 235 (a) 125 (b) 60 (c) 10 (d) 25 207. A committee of 12 is to be formed from 9 women and 8 men in which at least 5 women have to be included in a committee. Then the number of committees in which the women are in majority and men are in majority are respectively [IIT 1994] (d) 2702, 1008 (a) 4784, 1008 (b) 2702, 3360 (c) 6062, 2702 208. The number of ways in which 10 persons can go in two boats so that there may be 5 on each boat, supposing that two particular persons will not go in the same boat is (c) $\frac{1}{2}({}^{8}C_{5})$ (a) $\frac{1}{2} ({}^{10}C_5)$ (b) $2({}^{8}C_{4})$ (d) None of these 209. There are 10 persons named A, B,...J. We have the capacity to accommodate only 5. In how many ways can we arrange them in a line if A is must and G and H must not be included in the team of 5 (b) $^{7}P_{5}$ (c) ${}^{7}C_{3}(4!)$ (a) ${}^{8}P_{5}$ (d) ${}^7C_3(5!)$ **210.** The number of ways in which we can select three numbers from 1 to 30 so as to exclude every selection of all even numbers is (a) 4060 (b) 3605 (c) 455 (d) None of these 211. In a steamer there are stalls for 12 animals and there are horses, cows and calves (not less than 12 each) ready to be shipped. They can be loaded in (a) $3^{12} - 1$ (b) 3^{12} (c) $(12)^3 - 1$ (d) None of these **212.** There are (n+1) white and (n+1) black balls each set numbered 1 to n+1. The number of ways in which the balls can be arranged in a row so that the adjacent balls are of different colours is (d) $2\{(n+1)!\}^2$ (a) (2n+2)!(b) $(2n+2)! \times 2$ (c) $(n+1)! \times 2$ 213. Sixteen men compete with one another in running, swimming and riding. How many prize lists could be made if there were altogether 6 prizes of different values one for running, 2 for swimming and 3 for riding (a) $16^3 \times 15 \times 14^2$ (b) $16^3 \times 15^2 \times 14$ (d) None of these (c) $16 \times 15 \times 14$ **214.** The number of ways in which a committee of 6 members can be formed from 8 gentlemen and 4 ladies so that the committee contains at least 3 ladies is (b) 672 (a) 252 (c) 444 (d) 420 **215.** A student is to answer 10 out of 13 questions in an examination such that he must choose at least 4 from the first five questions. The number of choices available to him is (b) 196 (c) 280 (a) 140 (d) 346 216. The number of ways of distributing 8 identical balls in 3 distinct boxes so that none of the boxes is empty is [AIEEE 20 (c) 3^8 (a) ${}^{8}C_{3}$ (b) 21 (d) 5 217. In the next World Cup of cricket there will be 12 teams, divided equally in two groups. Teams of each group will play a match against each other. From each group 3 top teams will qualify for the next round. In this round each team will play against others once. Four top teams of this round will qualify for the semifinal round, where each team will play against the others once. Two top teams of this round will go to the final round, where they will play the best of three matches. The minimum number of matches in the next World Cup will be (a) 54 (b) 53 (c) 38 (d) None of these **218.** Let $\vec{a} = \hat{i} + \hat{j} + \hat{k}$ and \vec{r} be a variable vector such that $\hat{r}, \hat{i}, \hat{r}, \hat{j}$ and \hat{r}, \hat{k} are positive integers. If $\hat{r}, \hat{a} \le 12$ then the number of values of \dot{r} is (c) ${}^{12}C_{9}$ (a) ${}^{12}C_0 - 1$ (b) ${}^{12}C_3$ (d) None of these 219. A man has 7 relatives, 4 women and 3 men. His wife also has 7 relatives, 3 women and 4 men. In how many ways can they invite 3 women and 3 men so that 3 of them are the man's relatives and 3 his wife's (a) 485 (b) 484 (d) None of these (c) 468 220. A person wishes to make up as many different parties as he can out of his 20 friends such that each party consists of the same number of persons. The number of friends he should invite at a time is (b) 10 (c) 8 (d) None of these (a) 5 Geometrical Problems **Basic** Level

221. The number of triangles that can be formed by 5 points in a line and 3 points on a parallel line is (b) ${}^{8}C_{3} - {}^{5}C_{3}$ (c) ${}^{8}C_{3} - {}^{5}C_{3} - 1$ (a) ${}^{8}C_{3}$ (d) None of these **222.** The maximum number of points of intersection of 20 straight lines will be (d) None of these (a) 190 (b) 220 (c) 200 **223.** If a polygon has 44 diagonals, then the number of its sides are [MP PET 1998; Pb. CET 1996] (b) 11 (d) None of these (a) 7 (c) 8 **224.** How many triangles can be drawn by means of 9 non-collinear points (b) 72 (c) 144 (d) 126 (a) 84 **225.** The number of diagonals in a polygon of *m* sides is [BIT Ranchi 1992; MP PET 1999; UPSEAT 1999; DCE 1999] (a) $\frac{1}{2!}m(m-5)$ (b) $\frac{1}{2!}m(m-1)$ (c) $\frac{1}{2!}m(m-3)$ (d) $\frac{1}{2!}m(m-2)$ **226.** In a plane there are 10 points out of which 4 are collinear, then the number of triangles that can be formed by joining these points are [Rajasthan PET 1990] (d) None of these (a) 60 (b) 116 (c) 120 227. There are 16 points in a plane out of which 6 are collinear, then how many lines can be drawn by joining these points [Rajasthan PET 1986; MP PET 1987] (a) 106 (b) 105 (c) 60 (d) 55 228. The number of parallelograms that can be formed from a set of four parallel lines intersecting another set of three parallel lines is [West Bengal JEE 1993; Rajasthan PET 2001] (a) 6 (b) 18 (c) 12 (d) 9 229. The greatest possible number of points of intersection of 8 straight lines and 4 circles is (a) 32 (b) 64 (c) 76 (d) 104 **230.** There are 16 points in a plane, no three of which are in a straight line except 8 which are all in a straight line. The number of triangles that can be formed by joining them equals (a) 504 (b) 552 (c) 560 (d) 1120 **231.** Let T_n denote the number of triangles which can be formed using the vertices of a regular polygon of n sides. If $T_{n+1} - T_n = 21$ then *n* equals (a) 5 (b) 7 (c) 6 (d) 4 232. Out of 10 points in a plane 6 are in a straight line. The number of triangles formed by joining these points are [Rajast] (a) 100 (b) 150 (c) 120 (d) None of these **233.** The number of straight lines that can be formed by joining 20 points no three of which are in the same straight line except 4 of them which are in the same line (a) 183 (b) 186 (c) 197 (d) 185 **234.** There are *n* distinct points on the circumference of a circle. The number of pentagons that can be formed with these points as vertices is equal to the number of possible triangles. Then the value of n is (a) 7 (b) 8 (c) 15 (d) 30 **235.** Given six line segments of lengths 2, 3, 4, 5, 6, 7 units, the number of triangle that can be formed by these lines is [AMU 2002] (d) ${}^{6}C_{3} - 4$ (a) ${}^{6}C_{3} - 7$ (b) ${}^{6}C_{3}-6$ (c) ${}^{6}C_{3}-5$ **236.** A polygon has 35 diagonals, then the number of its sides is (a) 8 (b) 9 (c) 10 (d) 11 237. If 5 parallel straight lines are intersected by 4 parallel straight lines, then the number of parallelograms thus formed is

Permutations and Combinations 237 [Kurukshetra CEE 1999] (a) 20 (b) 60 (c) 101 (d) 126 **238.** The maximum number of points of intersection of 8 circles, is (a) 16 (b) 24 (c) 28 (d) 56 239. There are 10 points in a plane of which no three points are collinear and 4 points are concyclic. The number of different circles that can be drawn through at least 3 points of these points is (a) 116 (b) 120 (d) None of these (c) 117 Advance Level 240. The sides AB, BC, CA of a triangle ABC have respectively 3, 4 and 5 points lying on them. The number of triangles that can be constructed using these points as vertices is (a) 205 (b) 220 (d) None of these (c) 210 241. Six 'x's have to be placed in the square of the figure such that each row contains at least one x. In how many different ways can this be done (a) 28 (b) 27 (c) 26 (d) None of these **242.** The straight lines I_1, I_2, I_3 are parallel and lie in the same plane. A total number of *m* points are taken on I_1, n points on I_2 , k points on I_3 . The maximum number of triangles formed with vertices at these points are [IIT 1993; UPSEAT 2001] (b) ${}^{m+n+k}C_3 - {}^{m}C_3 - {}^{n}C_3 - {}^{k}C_3$ (a) $^{m+n+k}C_3$ (c) ${}^{m}C_{3} + {}^{n}C_{3} + {}^{k}C_{3}$ (d) None of these 243. Six points in a plane be joined in all possible ways by indefinite straight lines, and if no two of them be coincident or parallel, and no three pass through the same point (with the exception of the original 6 points). The number of distinct points of intersection is equal to (a) 105 (d) None of these (b) 45 (c) 51 **244.** There are *m* points on a straight line *AB* and *n* points on another line *AC*, none of them being the point *A*. Triangles are formed from these points as vertices when (i) A is excluded (ii) A is included. Then the ratio of the number of triangles in these two cases is (a) $\frac{m+n-2}{m+n}$ (b) $\frac{m+n-2}{2}$ (c) $\frac{m+n-2}{m+n+2}$ (d) None of these **245.** There are *n* straight lines in a plane, no two of which are parallel and no three pass through the same point. Their points of intersection are joined. Then the number of fresh lines thus obtained is (a) $\frac{n(n-1)(n-2)}{8}$ (b) $\frac{n(n-1)(n-2)(n-3)}{6}$ (c) $\frac{n(n-1)(n-2)(n-3)}{8}$ (d) None of these 246. A parallelogram is cut by two sets of m lines parallel to its sides. The number of parallelograms thus formed is [Karnat (a) $({}^{m}C_{2})^{2}$ (b) $\binom{m+1}{2}C_2^2$ (c) $(^{m+2}C_2)^2$ (d) None of these 247. In a plane there are 37 straight lines of which 13 pass through the point A and 11 pass through the point B. Besides no three lines pass through one point, no line passes through both points A and B and no two are parallel. Then the number of intersection points the lines have is equal to (b) 601 (d) None of these (a) 535 (c) 728 248. There are *n* points in a plane of which *p* points are collinear. How many lines can be formed from these points[Karnata (b) ${}^{n}C_{2} - {}^{p}C_{2}$ (a) ${}^{(n-p)}C_2$ (c) ${}^{n}C_{2} - {}^{p}C_{2} + 1$ (d) ${}^{n}C_{2} - {}^{p}C_{2} - 1$ 249. ABCD is a convex quadrilateral. 3, 4, 5 and 6 points are marked on the sides AB, BC, CD and DA respectively. The number of triangles with vertices on different sides is (a) 270 (b) 220 (d) 342 (c) 282 **250.** The number of triangles that can be formed joining the angular points of decagon, is

(a) 30 (b) 45 (c) 90 (d) 120 251. The number of triangles whose vertices are at the vertices of an octagon but none of whose sides happen come from the sides of the octagon is (a) 24 (b) 52 (c) 48 (d) 16 252. In a polygon no three diagonals are concurrent. If the total number of points of intersection of diagon interior to the polygon be 70, then the number of diagonals of the polygon is (a) 20 (b) 28 (c) 8 (d) None of these 253. There are $n(>2)$ points in each of two parallel lines. Every point on one line is joined to every point on the oth line by a line segment drawn within the lines. The number of points (between the lines) in which the segments intersect is (a) ${}^{2n}C_2 - 2.^nC_1 + 2$ (b) ${}^{2n}C_2 - 2.^nC_2$ (c) ${}^nC_2 \times {}^nC_2$ (d) None of these 254. <i>m</i> parallel lines in a plane are intersected by a family of <i>n</i> parallel lines. The total number of parallelograms formed is (a) ${}^{(m-1)(n-1)} - 1$ (b) ${}^{mn} - 1$ (c) ${}^{m(m-1)n(n-1)} - 2$ (d) ${}^{mn(m-1)(n-1)} - 4$ 255. There are three coplanar parallel lines. If any <i>p</i> points are taken on each of the lines, the maximum number triangles with vertices at these points (a) ${}^{3p^2(p-1)+1}$ (b) ${}^{3p^2(p-1)}$ (c) ${}^{p^2(4p-3)}$ (d) None of these Multinomial Theorem, Number of Divisors and Miscellaneous Basic Level
 251. The number of triangles whose vertices are at the vertices of an octagon but none of whose sides happen come from the sides of the octagon is (a) 24 (b) 52 (c) 48 (d) 16 252. In a polygon no three diagonals are concurrent. If the total number of points of intersection of diagon interior to the polygon be 70, then the number of diagonals of the polygon is (a) 20 (b) 28 (c) 8 (d) None of these 253. There are n(>2) points in each of two parallel lines. Every point on one line is joined to every point on the otl line by a line segment drawn within the lines. The number of points (between the lines) in which the segments intersect is (a) ²ⁿC₂ - 2ⁿC₁ + 2 (b) ²ⁿC₂ - 2ⁿC₂ (c) ⁿC₂ × ⁿC₂ (d) None of these 254. <i>m</i> parallel lines in a plane are intersected by a family of <i>n</i> parallel lines. The total number of parallelograms formed is (a) ^{(m-1)(n-1)}/₄ (b) ^{mn}/₄ (c) ^{m(m-1)n(n-1)}/₂ (d) ^{mn(m-1)(n-1)}/₄ 255. There are three coplanar parallel lines. If any <i>p</i> points are taken on each of the lines, the maximum number triangles with vertices at these points (a) ^{3p²(p-1)+1} (b) ^{3p²(p-1)} (c) ^{p²(4p-3)} (d) None of these
 (a) 24 (b) 52 (c) 48 (d) 16 252. In a polygon no three diagonals are concurrent. If the total number of points of intersection of diagonals interior to the polygon be 70, then the number of diagonals of the polygon is (a) 20 (b) 28 (c) 8 (d) None of these 253. There are n(> 2) points in each of two parallel lines. Every point on one line is joined to every point on the oth line by a line segment drawn within the lines. The number of points (between the lines) in which the segments intersect is (a) 2ⁿC₂-2ⁿC₁+2 (b) 2ⁿC₂-2ⁿC₂ (c) ⁿC₂×ⁿC₂ (d) None of these 254. <i>m</i> parallel lines in a plane are intersected by a family of <i>n</i> parallel lines. The total number of parallelograms formed is (a) (m-1)(n-1) (b) mn/4 (c) m(m-1)n(n-1) (d) mn(m-1)(n-1) 255. There are three coplanar parallel lines. If any <i>p</i> points are taken on each of the lines, the maximum number triangles with vertices at these points (a) 3p²(p-1)+1 (b) 3p²(p-1) (c) p²(4p-3) (d) None of these
 252. In a polygon no three diagonals are concurrent. If the total number of points of intersection of diagon interior to the polygon be 70, then the number of diagonals of the polygon is (a) 20 (b) 28 (c) 8 (d) None of these 253. There are n(> 2) points in each of two parallel lines. Every point on one line is joined to every point on the oth line by a line segment drawn within the lines. The number of points (between the lines) in which the segments intersect is (a) ²ⁿC₂ - 2ⁿC₁ + 2 (b) ²ⁿC₂ - 2ⁿC₂ (c) ⁿC₂ × ⁿC₂ (d) None of these 254. <i>m</i> parallel lines in a plane are intersected by a family of <i>n</i> parallel lines. The total number of parallelograms formed is (a) (<i>m</i>-1)(<i>n</i>-1) (b) <i>mn</i>/4 (c) <i>m</i>(<i>m</i>-1)<i>n</i>(<i>n</i>-1) (d) <i>mn</i>(<i>m</i>-1)(<i>n</i>-1) 255. There are three coplanar parallel lines. If any <i>p</i> points are taken on each of the lines, the maximum number triangles with vertices at these points (a) 3<i>p</i>²(<i>p</i>-1)+1 (b) 3<i>p</i>²(<i>p</i>-1) (c) <i>p</i>²(4<i>p</i>-3) (d) None of these
 (a) 20 (b) 28 (c) 8 (d) None of these 253. There are n(> 2) points in each of two parallel lines. Every point on one line is joined to every point on the oth line by a line segment drawn within the lines. The number of points (between the lines) in which the segments intersect is (a) ²ⁿC₂-2.ⁿC₁+2 (b) ²ⁿC₂-2.ⁿC₂ (c) ⁿC₂×ⁿC₂ (d) None of these 254. <i>m</i> parallel lines in a plane are intersected by a family of <i>n</i> parallel lines. The total number of parallelograms formed is (a) (<i>m</i>-1)(<i>n</i>-1) (b) <i>mn</i>/4 (c) <i>m</i>(<i>m</i>-1)<i>n</i>(<i>n</i>-1)/2 (d) <i>mn</i>(<i>m</i>-1)(<i>n</i>-1)/4 255. There are three coplanar parallel lines. If any <i>p</i> points are taken on each of the lines, the maximum number triangles with vertices at these points (a) 3<i>p</i>²(<i>p</i>-1)+1 (b) 3<i>p</i>²(<i>p</i>-1) (c) <i>p</i>²(4<i>p</i>-3) (d) None of these Basic Level
 253. There are n(> 2) points in each of two parallel lines. Every point on one line is joined to every point on the oth line by a line segment drawn within the lines. The number of points (between the lines) in which the segments intersect is (a) ²ⁿC₂ − 2.ⁿC₁ + 2 (b) ²ⁿC₂ − 2.ⁿC₂ (c) ⁿC₂×ⁿC₂ (d) None of these 254. <i>m</i> parallel lines in a plane are intersected by a family of <i>n</i> parallel lines. The total number of parallelograms formed is (a) (<i>m</i>-1)(<i>n</i>-1)/4 (b) <i>mn</i>/4 (c) <i>m</i>(<i>m</i>-1)<i>n</i>(<i>n</i>-1)/2 (d) <i>mn</i>(<i>m</i>-1)(<i>n</i>-1)/4 255. There are three coplanar parallel lines. If any <i>p</i> points are taken on each of the lines, the maximum number triangles with vertices at these points (a) 3<i>p</i>²(<i>p</i>-1)+1 (b) 3<i>p</i>²(<i>p</i>-1) (c) <i>p</i>²(4<i>p</i>-3) (d) None of these
line by a line segment drawn within the lines. The number of points (between the lines) in which the segments intersect is (a) ${}^{2n}C_2 - 2.{}^{n}C_1 + 2$ (b) ${}^{2n}C_2 - 2.{}^{n}C_2$ (c) ${}^{n}C_2 \times {}^{n}C_2$ (d) None of these 254. <i>m</i> parallel lines in a plane are intersected by a family of <i>n</i> parallel lines. The total number of parallelograms formed is (a) $\frac{(m-1)(n-1)}{4}$ (b) $\frac{mn}{4}$ (c) $\frac{m(m-1)n(n-1)}{2}$ (d) $\frac{mn(m-1)(n-1)}{4}$ 255. There are three coplanar parallel lines. If any <i>p</i> points are taken on each of the lines, the maximum number triangles with vertices at these points (a) $3p^2(p-1)+1$ (b) $3p^2(p-1)$ (c) $p^2(4p-3)$ (d) None of these Multinomial Theorem, Number of Divisors and Miscellaneous Basic Level
 (a) ²ⁿC₂-2.ⁿC₁+2 (b) ²ⁿC₂-2.ⁿC₂ (c) ⁿC₂×ⁿC₂ (d) None of these 254. <i>m</i> parallel lines in a plane are intersected by a family of <i>n</i> parallel lines. The total number of parallelograms formed is (a) (m-1)(n-1)/4 (b) mn/4 (c) m(m-1)n(n-1)/2 (d) mn(m-1)(n-1)/4 255. There are three coplanar parallel lines. If any <i>p</i> points are taken on each of the lines, the maximum number triangles with vertices at these points (a) 3p²(p-1)+1 (b) 3p²(p-1) (c) p²(4p-3) (d) None of these Basic Level
 254. m parallel lines in a plane are intersected by a family of n parallel lines. The total number of parallelograms formed is (a) (m-1)(n-1)/4 (b) mn/4 (c) m(m-1)n(n-1)/2 (d) mn(m-1)(n-1)/4 255. There are three coplanar parallel lines. If any p points are taken on each of the lines, the maximum number triangles with vertices at these points (a) 3p²(p-1)+1 (b) 3p²(p-1) (c) p²(4p-3) (d) None of these
(a) $\frac{(m-1)(n-1)}{4}$ (b) $\frac{mn}{4}$ (c) $\frac{m(m-1)n(n-1)}{2}$ (d) $\frac{mn(m-1)(n-1)}{4}$ 255. There are three coplanar parallel lines. If any p points are taken on each of the lines, the maximum number triangles with vertices at these points (a) $3p^2(p-1)+1$ (b) $3p^2(p-1)$ (c) $p^2(4p-3)$ (d) None of these Multinomial Theorem, Number of Divisors and Miscellaneous Basic Level
 255. There are three coplanar parallel lines. If any p points are taken on each of the lines, the maximum number triangles with vertices at these points (a) 3p²(p-1)+1 (b) 3p²(p-1) (c) p²(4p-3) (d) None of these Multinomial Theorem, Number of Divisors and Miscellaneous
(a) $3p^2(p-1)+1$ (b) $3p^2(p-1)$ (c) $p^2(4p-3)$ (d) None of these <i>Multinomial Theorem, Number of Divisors and Miscellaneous</i> Basic Level
Multinomial Theorem, Number of Divisors and Miscellaneous Basic Level
Basic Level
256. If ${}^{n}P_{r} = 720$. ${}^{n}C_{r}$, then <i>r</i> is equal to [Kerala (Engg.) 20
(a) 6 (b) 5 (c) 4 (d) 7
257. If ${}^{n}P_{4} = 24$. ${}^{n}C_{5}$, then the value of <i>n</i> is [Karnataka CET 20]
(a) 10 (b) 15 (c) 9 (d) 5
258. If ${}^{n}P_{3} + {}^{n}C_{n-2} = 14 n$, then $n =$
(a) 5 (b) 6 (c) 8 (d) 10
259. If ${}^{n}P_{e} = 30 {}^{n}C_{e}$, then $n =$
(a) 6 (b) 7 (c) 8 (d) 0

(C) (a)**260.** If ${}^{n}P_{r} = 840, {}^{n}C_{r} = 35$, then *n* is equal to [EAMCET 1986] (a) 1 (b) 3 (c) 5 (d) 7 **261.** If ${}^{n}C_{r} = {}^{n}C_{r-1}$ and ${}^{n}P_{r} = {}^{n}P_{r+1}$, then the value of *n* is (b) 4 (a) 3 (c) 2 (d) 5 **262.** ${}^{n}P_{r} \div {}^{n}C_{r} =$ [MP PET 1984] (c) $\frac{1}{r!}$ (b) (n-r)!(a) n! (d) r! **263.** If a, b, c, d, e are prime integers, then the number of divisors of ab^2c^2de excluding 1 as a factor, is (a) 94 (b) 72 (c) 36 (d) 71 **264.** The number of proper divisors of 1800 which are also divisible by 10, is (a) 18 (b) 34 (c) 27 (d) None of these **265.** The number of odd proper divisors of $3^{p}.6^{m}.21^{n}$ is (a) (p+1)(m+1)(n+1) - 2 (b) (p+m+n+1)(n+1) - 1(c) (p+1)(m+1)(n+1) - 1(d) None of these

266. The number of proper divisors of $2^{p}.6^{q}.15^{r}$ is

			Permutation	ns and Combinations 239								
	(a) $(p+q+1)(q+r+1)(r+1)$	·+1)	(b) $(p+q+1)(q+r+1)(r+1)-2$									
	(c) $(p+q)(q+r)r-2$		(d) None of these									
267.	The number of even p	roper divisors of 1008 is										
	(a) 23	(b) 24	(c) 22	(d) None of these								
		Advanc	e Level									
268.	The number of numbe	rs of 4 digits which are not divi	sible by 5 are									
	(a) 7200	(b) 3600	(c) 14400	(d) 1800								
269.	A set contains $(2n + 1)$ elements. The number of subsets of the set which contain at most <i>n</i> elements is											
	(a) 2^n	(b) 2^{n+1}	(c) 2^{n-1}	(d) 2^{2n}								
270.	The number of ways in to any question is	n which an examiner can assign	n 30 marks to 8 questions, av	varding not less than 2 marks								
	(a) $^{21}C_7$	(b) ${}^{30}C_{16}$	(c) $^{21}C_{16}$	(d) None of these								
271.	In a certain test a_i students gave wrong answers to at least <i>i</i> questions where $i = 1, 2, 3, \dots, k$. No student gav											
	more than <i>k</i> wrong answers. The total numbers of wrong answers given is											
	(a) $a_1 + 2a_2 + 3a_3 + \dots + a_n + $	ka_k	(b) $a_1 + a_2 + a_3 + \dots + a_k$									
	(c) Zero		(d) None of these									
272. is gi	Number of ways of s ven by	election of 8 letters from 24	t letters of which 8 are a,	8 are <i>b</i> and the rest unlike								
	(a) 2^7	(b) 8.2^8	(c) 10.2^7	(d) None of these								
273.	3. The number of ordered triplets of positive integers which are solutions of the equation $x + y + z = 100$ is											
	(a) 6005	(b) 4851	(c) 5081	(d) None of these								
274.	A person goes in for an examination in which there are four papers with a maximum of m marks from paper. The number of ways in which one can get $2m$ marks is											
	(a) $^{2m+3}C_3$	(b) $\frac{1}{3}(m+1)(2m^2+4m+1)$	(c) $\frac{1}{3}(m+1)(2m^2+4m+3)$	(d) None of these								
275.	The sum $\sum_{i=0}^{m} \binom{10}{i} \binom{20}{m-i}$	$\left(\text{where } \begin{pmatrix} p \\ q \end{pmatrix} = 0 \text{ if } p < q \right), \text{ is maxim}$	mum when <i>m</i> is	[IIT Screening 2002]								
	(a) 5	(b) 15	(c) 10	(d) 20								
276.	The number of divisor	The soft the form $4n+2(n \ge 0)$ of the	e integer 240 is									
	(a) 4	(b) 8	(c) 10	(d) 3								



Permutations and Assignment (Basic and Advance Level)													el) ()						
1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20
с	с	d	a	b	d	a	d	d	a	a	d	d	d	a	b	с	a	a	a
21	22	23	24	25	26	27	28	29	30	31	32	33	34	35	36	37	38	39	40
b	a	с	b	с	с	a	a	a	b	b	с	b	a	с	b	a	с	с	d
41	42	43	44	45	46	47	48	49	50	51	52	53	54	55	56	57	58	59	60
с	d	d	b	b	b	a	с	a	a	с	a	a	b	с	с	b	a	b	b
61	62	63	64	65	66	67	68	69	70	71	72	73	74	75	76	77	78	79	80
с	b	a	a	с	с	a	b	b	d	с	b	a	с	a	b	b	с	d	b
81	82	83	84	85	86	87	88	89	90	91	92	93	94	95	96	97	98	99	100
с	a	a	с	с	b	d	b	a	a	с	a	с	с	d	b	d	a	d	с
101	102	103	104	105	106	107	108	109	110	111	112	113	114	115	116	117	118	119	120
b	с	с	a	d	b	b	d	a	b	a	a	a	с	b	b	a	с	b	b
121	122	123	124	125	126	127	128	129	130	131	132	133	134	135	136	137	138	139	140
с	d	a	b	d	a	d	b	a	с	d	с	d	a	a	b	b	d	a	а
141	142	143	144	145	146	147	148	149	150	151	152	153	154	155	156	157	158	159	160
d	d	b	d	с	b	a	b	с	b	b	b	b	b	b	с	а	d	b	с
161	162	163	164	165	166	167	168	169	170	171	172	173	174	175	176	177	178	179	180
b	a	с	b	b	с	b	a	с	с	b	d	с	a	с	с	a	с	d	a
181	182	183	184	185	186	187	188	189	190	191	192	193	194	195	196	197	198	199	200
a	b	a	с	с	с	b	с	с	b	b	b	b	с	b	b	b	a	a	с
201	202	203	204	205	206	207	208	209	210	211	212	213	214	215	216	217	218	219	220
с	a	b	с	b	d	d	b	d	b	b	d	b	a	b	b	b	b,c	a	b
221	222	223	224	225	226	227	228	229	230	231	232	233	234	235	236	237	238	239	240
с	a	b	a	с	b	a	b	d	a	b	a	d	b	b	с	b	d	с	a
241	242	243	244	245	246	247	248	249	250	251	252	253	254	255	256	257	258	259	260
с	b	с	a	с	с	a	с	d	d	d	a	с	d	с	a	с	a	с	d
261	262	263	264	265	266	267	268	269	270	271	272	273	274	275	276				
a	d	d	а	b	b	а	а	d	a	b	с	b	с	b	a				